TITLE

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ABSTRACT. Enter your abstract here.

1. INTRODUCTION

Your text comes here. Separate text sections with

2. Section title

and

2.1. Subsection title. as required. Don't forget to give each section and subsection a unique label (see Sect. 2).

3. Environments

The following environments are predefined:

THEOREM 3.1. Text

PROOF. Proofs of theorems and such should end with a square.

COROLLARY 3.2. Text

Conjecture 3.3. Text

LEMMA 3.4. Text

PROPOSITION 3.5. Text

AXIOM 3.1. Text

EXERCISE 3.1. Text

2020 Mathematics Subject Classification. ????, ???? Key words and phrases. template, glasnik, I&T_EXstyle.

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PROBLEM 3.1. Text DEFINITION 3.6. Text EXAMPLE 3.7. Text REMARK 3.8. Text

Don't forget to label environments (see Theorem 3.1, ..., Remark 3.8).

4. MATHEMATICAL FORMULAE

For unnumbered mathematical formula use

y = x.

For numbered mathematical formula use

(4.1) x = z. For multiline formulae use

(4.2) y = x,(4.3) x = z.

To refer on formulae use the notation (4.1).

5. Figures and tables

For figures use





For ${\mathbin{\rm L\!A}} T_{\!E\!} X {\rm tables}$ use

TABLE 1. Please write your table caption here

first	second	third
number	number	number
number	number	number

ACKNOWLEDGEMENTS.

If necessary your acknowledgements enter here.

The references should be arranged and numbered in alphabetical order, referred by [1] or [9] and cited as follows:

References

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